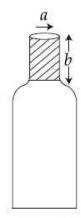
JEE (Main) 2016 - CBT Exam

Section : Physics

^{Q.} A bottle has an opening of radius a and length b. A cork of length b and radius $(a + \Delta a)$ where $(\Delta a << a)$ is compressed to fit into the opening completely (See figure). If the bulk modulus of cork is B and frictional coefficient between the bottle and cork is μ then the force needed to push the cork into the bottle is:

Chosen Option:



 $_{
m tio}^{
m Op}$ 1. $(2\pi\mu B\ b)\ \Delta a$

- 2. $(\pi \mu B b) \Delta a$
- 3. $(\pi \mu B \ b) \ a$
- 4. $(4\pi\mu B b) \Delta a$

Consider an electromagnetic wave propagating in vacuum. Choose the correct statement:

Chosen Option:

For an electromagnetic wave propagating in +y direction the

electric field is $\overrightarrow{E} = \frac{1}{\sqrt{2}} E_{yz} (x, t) \hat{z}$

and the magnetic field is

$$\overrightarrow{B} = \frac{1}{\sqrt{2}} B_z (x, t) \hat{y}$$

For an electromagnetic wave propagating in +y direction the

electric field is $\overrightarrow{E} = \frac{1}{\sqrt{2}} E_{yz} (x, t) \hat{y}$

and the magnetic field is

$$\overrightarrow{B} = \frac{1}{\sqrt{2}} B_{yz} (x, t) \hat{z}$$

For an electromagnetic wave propagating in +x direction the electric field is

3.
$$\overrightarrow{E} = \frac{1}{\sqrt{2}} E_{yz} (y, z, t) (\mathring{y} + \mathring{z})$$
 and

the magnetic field is

$$\overrightarrow{B} = \frac{1}{\sqrt{2}} B_{yz} (y, z, t) (\stackrel{\wedge}{y} + \stackrel{\wedge}{z})$$

For an electromagnetic wave propagating in +x direction the electric field is

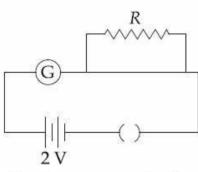
4.
$$\overrightarrow{E} = \frac{1}{\sqrt{2}} E_{yz} (x, t) (\hat{y} - \hat{z})$$
 and the

magnetic field is

$$\overrightarrow{B} = \frac{1}{\sqrt{2}} B_{yz} (x, t) (\mathring{y} + \mathring{z})$$

Q. A galvanometer has a 50 division scale. Battery has no internal resistance. It is found that there is deflection of 40 divisions when $R = 2400 \Omega$. Deflection becomes 20 divisions when resistance taken from resistance box is 4900 Ω . Then we can conclude:

Chosen Op	otion :	
-----------	---------	--



- $_{\text{tio}}^{\text{Op}}$ Resistance required on R.B. for a deflection of 10 divisions is 9800 Ω .
 - 2. Full scale deflection current is 2 mA.
 - Current sensitivity of galvanometer is 20 μA/division.
 - 4. Resistance of galvanometer is 200 Ω .
- Q. A Carnot freezer takes heat from water at 0°C inside it and rejects it to the room at a temperature of 27°C. The latent heat of ice is 336 × 10³ J kg⁻¹. If 5 kg of water at 0°C is converted into ice at 0°C by the freezer, then the energy consumed by the freezer is close to:

Chosen Option :

 $^{\text{Op}}_{\text{tio}}$ 1.68 × 10⁶ J

ns

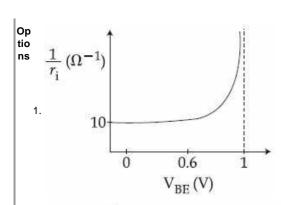
$$^{2.}1.71\times10^{7} \text{ J}$$

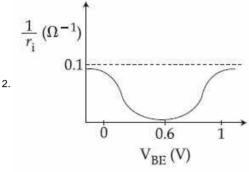
$$3.1.51 \times 10^5 \,\mathrm{J}$$

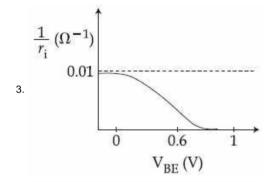
4.
$$1.67 \times 10^5 \,\mathrm{J}$$

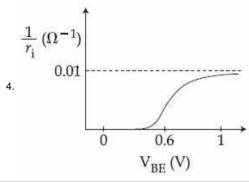
Q. A realistic graph depicting the variation of the reciprocal of input resistance in an input characteristics measurement in a commonemitter transistor configuration is:

Chosen Option :









 $_{6}^{\mathsf{Q}}$. A particle of mass m is acted upon by a force

Chosen Option:

F given by the empirical law $F = \frac{R}{t^2} v(t)$.

If this law is to be tested experimentally by observing the motion starting from rest, the best way is to plot:

 $\log_{\text{tio}} \log v(t)$ against t

- ² v(t) against t^2
- ^{3.} $\log v(t)$ against $\frac{1}{t^2}$

Chosen Option : --

				1
4.	log	v(t)	against	$\frac{1}{t}$

q. A fighter plane of length 20 m, wing span (distance from tip of one wing to the tip of the other wing) of 15 m and height 5 m is flying towards east over Delhi. Its speed is 240 ms⁻¹. The earth's magnetic field over Delhi is 5×10^{-5} T with the declination angle $\sim 0^{\circ}$ and dip of θ such that

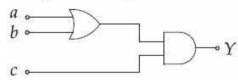
 $\sin \theta = \frac{2}{3}$. If the voltage developed is V_B

between the lower and upper side of the plane and V_W between the tips of the wings then V_B and V_W are close to :

 $V_B = 40 \text{ mV}$; $V_W = 135 \text{ mV}$ with left side of pilot at higher voltage

- $V_B = 40 \text{ mV}$; $V_W = 135 \text{ mV}$ with right side of pilot at high voltage
- $_{3.}V_{B}$ = 45 mV; V_{W} = 120 mV with left side of pilot at higher voltage
- V_B = 45 mV; V_W = 120 mV with right side of pilot at higher voltage
- Q. To get an output of 1 from the circuit shown in figure the input must be:

Chosen Option:



Op 1. a = 0, b = 1, c = 0

2.
$$a = 1$$
, $b = 0$, $c = 0$

3.
$$a = 0$$
, $b = 0$, $c = 1$

4.
$$a = 1$$
, $b = 0$, $c = 1$

Q. To determine refractive index of glass slab using a travelling microscope, minimum number of readings required are:

Chosen Option:

op 1 Four tio

ns

- 2. Two
- 3. Three
- 4. Five

Q. An astronaut of mass m is working on a satellite orbiting the earth at a distance h from the earth's surface. The radius of the earth is R, while its mass is M. The gravitational pull F_G on the astronaut is:

Chosen Option :

$$\int_{\ln s}^{\text{Op}} F_G = \frac{GMm}{(R+h)^2}$$

2. Zero since astronaut feels weightless

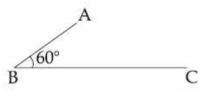
$$3. \frac{GMm}{(R+h)^2} < F_G < \frac{GMm}{R^2}$$

$$_{4.}$$
 0 < F_{G} < $\frac{GMm}{R^{2}}$

Q. In the figure shown ABC is a uniform wire. If centre of mass of wire lies vertically below

Chosen Option : --

point A, then $\frac{BC}{AB}$ is close to :



Op 1. 1.85

ns

2. 1.5

3. 3

4. 1.37

Q. A neutron moving with a speed 'v' makes a head on collision with a stationary hydrogen atom in ground state. The minimum kinetic energy of the neutron for which inelastic collision will take place is:

Chosen Option:

Op 1. 10.2 eV

ns

^{2.} 12.1 eV

3. 20.4 eV

4. 16.8 eV

Chosen Option:

Q. Concrete mixture is made by mixing cement, stone and sand in a rotating cylindrical drum. If the drum rotates too fast, the ingredients remain stuck to the wall of the drum and proper mixing of ingredients does not take place. The maximum rotational speed of the drum in revolutions per minute(rpm) to ensure proper mixing is close to:

(Take the radius of the drum to be 1.25 m and its axle to be horizontal):

Op 1. 1.3

2

2. 0.4

3. 27.0

4. 8.0

Q. A photoelectric surface is illuminated successively by monochromatic light of

Chosen Option :

wavelengths λ and $\frac{\lambda}{2}$. If the maximum kinetic energy of the emitted photoelectrons in the second case is 3 times that in the first case, the work function of the surface is :

 $\int_{\text{lio}}^{\text{Op}} \int_{1}^{1} \frac{3 hc}{\lambda}$

2. $\frac{hc}{\lambda}$

3. $\frac{hc}{3\lambda}$

4. $\frac{hc}{2\lambda}$

Q. A, B, C and D are four different physical quantities having different dimensions. None of them is dimensionless. But we know that the equation AD = C ln(BD) holds true. Then which of the combination is not a meaningful quantity?

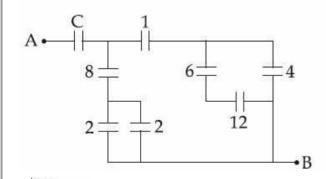
 $_{\text{tio}}^{\text{Op 1.}} A^2 - B^2C^2$

 $2. \frac{A}{B} - C$

Chosen Option:

3.
$$\frac{C}{BD} - \frac{AD^2}{C}$$
4.
$$\frac{(A - C)}{D}$$

- Q. A thin 1 m long rod has a radius of 5 mm. A force of 50 πkN is applied at one end to determine its Young's modulus. Assume that the force is exactly known. If the least count in the measurement of all lengths is 0.01 mm, which of the following statements is false?
- The maximum value of Y that can be determined is 10^{14} N/m².
 - $_{2}$ $\frac{\Delta Y}{Y}$ gets minimum contribution from the uncertainty in the length.
 - 3. The figure of merit is the largest for the length of the rod.
 - $\frac{\Delta Y}{Y}$ gets its maximum contribution from the uncertainty in strain.
- Figure shows a network of capacitors where the numbers indicates capacitances in micro Farad. The value of capacitance C if the equivalent capacitance between point A and B is to be 1 μF is:



$$\begin{array}{c} \text{Op} & 33 \\ \text{ns} & 23 \end{array} \mu \text{F} \\ \text{2} & \frac{31}{23} \mu \text{F} \\ \text{3} & \frac{32}{23} \mu \text{F} \end{array}$$

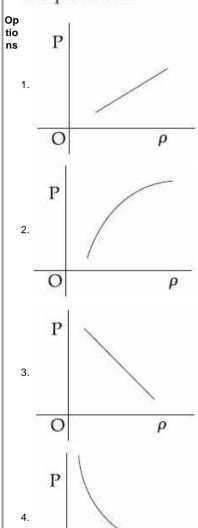
Chosen Option: --

Chosen Option:

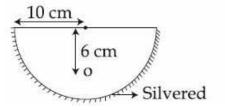
	34	. 17
4.	23	μ F

^{Q.} Which of the following shows the correct relationship between the pressure 'P' and density ρ of an ideal gas at constant temperature?

Chosen Option :



Q. A hemispherical glass body of radius 10 cm and refractive index 1.5 is silvered on its curved surface. A small air bubble is 6 cm below the flat surface inside it along the axis. The position of the image of the air bubble made by the mirror is seen:



Chosen Option:

op 1 20 cm below flat surface

- 2. 30 cm below flat surface
- 3. 16 cm below flat surface
- 4. 14 cm below flat surface
- Q. In an engine the piston undergoes vertical simple harmonic motion with amplitude 7 cm. A washer rests on top of the piston and moves with it. The motor speed is slowly increased. The frequency of the piston at which the washer no longer stays in contact with the piston, is close to:

Chosen Option : --

Op 1. 0.7 Hz

- 2. 1.2 Hz
- 3. 1.9 Hz
- 4. 0.1 Hz
- Q. Two stars are 10 light years away from the earth. They are seen through a telescope of objective diameter 30 cm. The wavelength of light is 600 nm. To see the stars just resolved by the telescope, the minimum distance between them should be (1 light year = 9.46 × 10¹⁵m) of the order of:

Chosen Option : --

op 1. 10⁸ km

- 2. 10⁶ km
- 3. 10¹¹ km
- 4. 10¹⁰ km
- A conducting metal circular-wire-loop of radius r is placed perpendicular to a magnetic field which varies with time as $B = B_0 e^{-t/\tau}$, where B_0 and τ are constants, at time t = 0. If the resistance of the loop is R then the heat generated in the loop after a long time $(t \to \infty)$ is:

 $\frac{\text{Op tio }_{\text{ns 1.}}}{\pi^2 r^4 B_0^2 R}$

Chosen Option: --

2.	$\pi^2 r^4 B_0^4$
۷.	$2\tau R$

3.
$$\frac{\pi^2 r^4 B_0^2}{\tau R}$$

$$4. \frac{\pi^2 r^4 B_0^2}{2\tau R}$$

Q. A particle of mass M is moving in a circle of fixed radius R in such a way that its centripetal acceleration at time t is given by n² R t² where n is a constant. The power delivered to the particle by the force acting on it, is:

Chosen Option :

$$_{\text{tio}}^{\text{Op}_{1.}} M n R^2 t^2$$

2.
$$\frac{1}{2} M n^2 R^2 t^2$$

3.
$$M n^2 R^2 t$$

- $^{4.}$ M n R^2 t
- The ratio (R) of output resistance r_0 , and the input resistance r_i in measurements of input and output characteristics of a transistor is typically in the range:

Chosen Option:

$$R \sim 0.1 - 0.01$$

ns

$$R \sim 0.1 - 1.0$$

3.
$$R \sim 10^2 - 10^3$$

- 4. $R \sim 1 10$
- Q. A modulated signal $C_m(t)$ has the form $C_m(t) = 30 \sin 300 \pi t + 10 (\cos 200 \pi t \cos 400 \pi t)$. The carrier frequency f_c , the modulating frequency (message frequency) f_{ω} , and the modulation index μ are respectively given by :

$$_{\rm ns}^{\rm Op}$$
 $_{\rm 1.}^{\rm tio}$ $_{\rm 1.}^{\rm 1.}$ $_{\rm 1.}^{\rm c}$ = 200 Hz ; $_{\rm 2.0}^{\rm m}$ = 30 Hz ; $_{\rm 2.0}^{\rm m}$ = $_{\rm 2.00}^{\rm 1.}$

²
$$f_c = 150 \text{ Hz}$$
; $f_\omega = 50 \text{ Hz}$; $\mu = \frac{2}{3}$

3.
$$f_c = 200 \text{ Hz}$$
; $f_\omega = 50 \text{ Hz}$; $\mu = \frac{1}{2}$

4.
$$f_c = 150 \text{ Hz}$$
; $f_\omega = 30 \text{ Hz}$; $\mu = \frac{1}{3}$

Q. The resistance of an electrical toaster has a temperature dependence given by $R(T) = R_0 [1 + \alpha (T - T_0)]$ in its range of operation. At $T_0 = 300$ K, R = 100 Ω and at T = 500 K, R = 120 Ω . The toaster is connected to a voltage source at 200 V and its temperature is raised at a constant rate from 300 to 500 K in 30 s. The total work done in raising the temperature is:

Chosen Option: --

op tio 1 400
$$ln$$
 $\frac{1.5}{1.3}$ J 2 300 J 3 200 ln $\frac{2}{3}$ J

4. 400 $ln = \frac{5}{6} J$

Q. Consider thin metallic sheet a perpendicular to the plane of the paper moving with speed 'v' in a uniform magnetic field B going into the plane of the paper (See figure). If charge densities σ_1 and σ_2 are induced on the left and right surfaces, respectively, of the sheet then (ignore fringe effects):

Chosen Option: --

$$\begin{array}{c|c} \uparrow v \\ \otimes \otimes & \otimes \otimes \\ & \sigma_1 & \sigma_2 \end{array}$$

$$\int_{\text{ns}}^{\text{op}} \sigma_1 \cdot \sigma_1 = \frac{-\epsilon_0 v B}{2}, \ \sigma_2 = \frac{\epsilon_0 v B}{2}$$

2.
$$\sigma_1 = \sigma_2 = \epsilon_0 vB$$

2.
$$\sigma_1 = \sigma_2 = \epsilon_0 vB$$

3. $\sigma_1 = \frac{\epsilon_0 v B}{2}$, $\sigma_2 = \frac{-\epsilon_0 v B}{2}$

4.
$$\sigma_1 = \epsilon_0 v B$$
, $\sigma_2 = -\epsilon_0 v B$

Q. Velocity-time graph for a body of mass 10 kg is shown in figure. Work-done on the body in first two seconds of the motion is:

Chosen Option :

```
v (m/s)
50 ms<sup>-1</sup>
(0,0) 10 s t (s)
```

Op 1. 12000 J

2. -12000 J

3. - 4500 J

4. - 9300 J

A toy-car, blowing its horn, is moving with a steady speed of 5 m/s, away from a wall. An observer, towards whom the toy car is moving, is able to hear 5 beats per second. If the velocity of sound in air is 340 m/s, the frequency of the horn of the toy car is close to:

Chosen Option : --

Op 1. 340 Hz

2. 170 Hz

3. 510 Hz

4. 680 Hz

Within a spherical charge distribution of charge density $\rho(r)$, N equipotential surfaces of potential V_0 , $V_0 + \Delta V$, $V_0 + 2\Delta V$, $V_0 + N\Delta V$ ($\Delta V > 0$), are drawn and have increasing radii r_0 , r_1 , r_2 ,....... r_N , respectively. If the difference in the radii of the surfaces is constant for all values of V_0 and ΔV then:

Chosen Option :

 $_{
m tio}^{
m Op}$ 1. $ho\left(r
ight) lpha r$

ns

2. ρ (r) $\alpha \frac{1}{r^2}$

3.
$$\rho$$
 (r) α $\frac{1}{r}$

4.
$$\rho(r) = \text{constant}$$

Section: Chemistry

reaction.

On The correct statement about the synthesis of erythritol (C(CH₂OH)₄) used in the preparation of PETN is:

Chosen Option : --

Op tio The synthesis requires two aldol

ns 1. condensations and two Cannizzaro reactions.

Alpha hydrogens of ethanol and 2 methanol are involved in this reaction.

The synthesis requires four aldol 3 condensations between methanol and ethanol.

The synthesis requires three aldol condensations and one Cannizzaro

Q. The following statements concern elements in the periodic table. Which of the following is true?

Chosen Option:

Op 1. The Group 13 elements are all metals.

2. All the elements in Group 17 are gases.

Elements of Group 16 have lower ionization enthalpy values compared to those of Group 15 in the corresponding periods.

For Group 15 elements, the stability 4 of +5 oxidation state increases down the group.

Q. Identify the incorrect statement :

Chosen Option:

Rhombic and monoclinic sulphur have S_8 molecules.

- 2. S₈ ring has a crown shape.
- S₂ is paramagnetic like oxygen.

	The S-S-S bond angles i	in the	S_8	and
4.	S ₆ rings are the same.			

Q. Assertion: Among the carbon

Chosen Option:

allotropes, diamond is an whereas, insulator, graphite is a good conductor of electricity.

Hybridization of carbon Reason:

> in diamond and graphite sp^3 and

respectively.

Both assertion and reason are correct,

ns 1 but the reason is not the correct explanation for the assertion.

Assertion is incorrect statement, but the reason is correct.

Both assertion and reason are correct, 3 and the reason is the correct explanation for the assertion.

Both assertion and reason are incorrect.

Q. The "N" which does not contribute to the basicity for the compound is:

Chosen Option:

Op 1. N 7

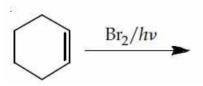
2. N 1

3. N 9

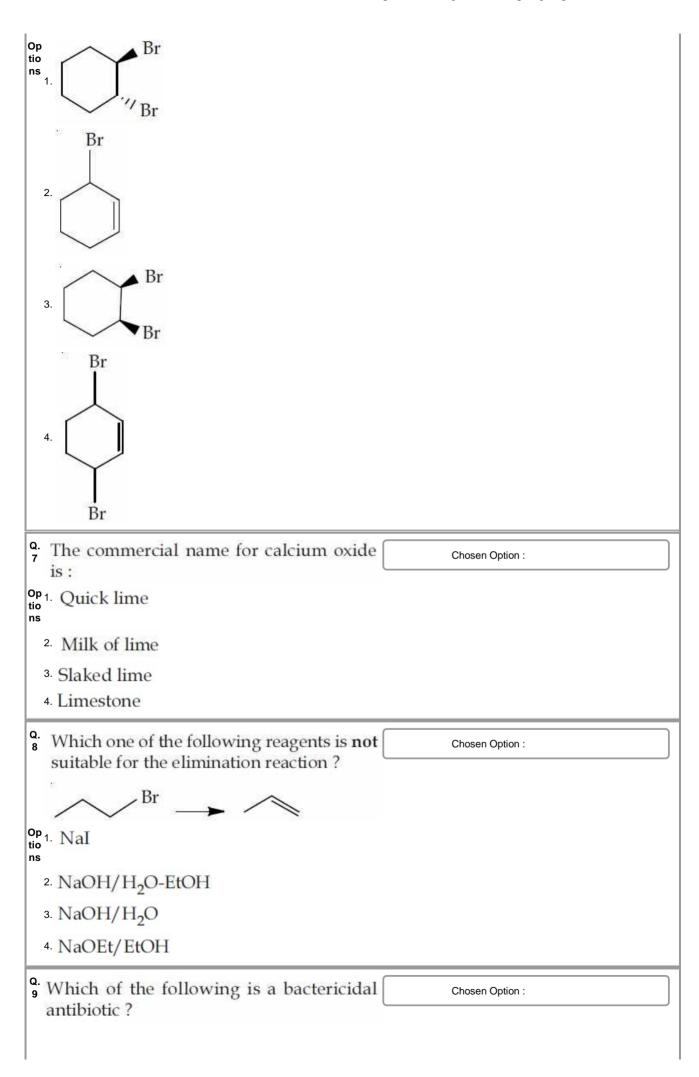
4. N3

Bromination of cyclohexene under conditions given below yields:

Chosen Option:

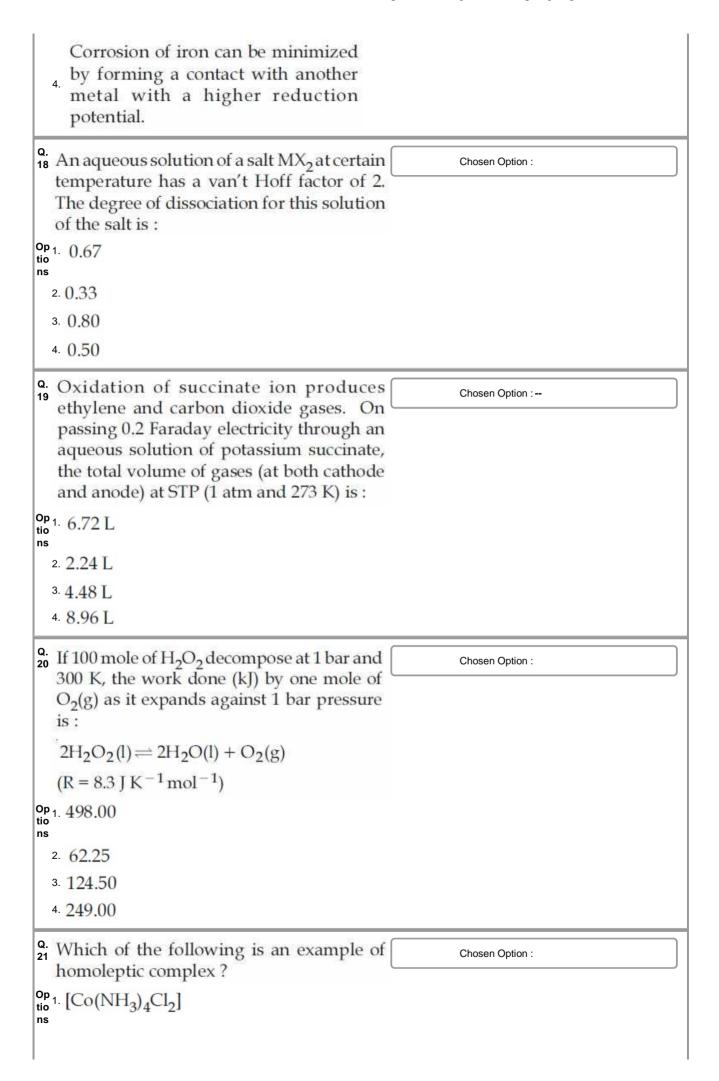


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Op 1. Erythromycin ns 2. Tetracycline 3. Ofloxacin 4. Chloramphenicol	
Q. A solid XY kept in an evacuated sealed container undergoes decomposition to form a mixture of gases X and Y at temperature T. The equilibrium pressure is 10 bar in this vessel. K _p for this reaction is:	Chosen Option :
Op 1. 25 tio ns	
2. 5	
3.10	
4. 100	
on The transition metal ions responsible for color in ruby and emerald are, respectively:	Chosen Option :
op 1. Cr ³⁺ and Cr ³⁺	
2. Co ³⁺ and Co ³⁺	
3. Co ³⁺ and Cr ³⁺	
4.Cr ³⁺ and Co ³⁺	
Q. Which of the following polymers is synthesized using a free radical polymerization technique?	Chosen Option :
Op 1. Teflon	
2. Melamine polymer	
3. Nylon 6,6	
4. Terylene	
Q. Extraction of copper by smelting uses silica as an additive to remove :	Chosen Option :
op 1. FeS	
2. FeO	
3. Cu ₂ S	

4. Cu ₂ O	
 Q. Initially, the root mean square (rms) velocity of N₂ molecules at certain temperature is u. If this temperature is doubled and all the nitrogen molecules dissociate into nitrogen atoms, then the new rms velocity will be: Op 1. 2u 	Chosen Option :
tio ns	
2. 14 <i>u</i>	
3. u/2	
4. 4 <i>u</i>	
Q. Gold numbers of some colloids are: Gelatin: 0.005 - 0.01, Gum Arabic: 0.15 - 0.25; Oleate: 0.04 - 1.0; Starch: 15 - 25. Which among these is a better protective colloid?	Chosen Option :
Op 1. Gelatin	
² Starch	
3. Gum Arabic	
4. Oleate	
Q. Fluorination of an aromatic ring is easily accomplished by treating a diazonium salt with HBF ₄ . Which of the following conditions is correct about this reaction?	Chosen Option :
Op 1. Only heat	
² NaNO ₂ /Cu	
з. Cu ₂ O/H ₂ O	
4 NaF/Cu	
Q. Identify the correct statement :	Chosen Option :
Op tio Corrosion of iron can be minimized ns 1 by forming an impermeable barrier at its surface.	
 Iron corrodes in oxygen-free water. 	
Iron corrodes more rapidly in salt 3 water because its electrochemical potential is higher.	



 [Co(NH₃)₆]Cl₃ [Co(NH₃)₅Cl]Cl₂ [Pt(NH₃)₂Cl₂] 	
Q. The bond angle H-X-H is the greatest in the compound: Op 1. NH ₃ 2. PH ₃ 3. CH ₄ 4. H ₂ O	Chosen Option :
 Q. The rate law for the reaction below is given by the expression k [A][B] A + B → Product If the concentration of B is increased from 0.1 to 0.3 mole, keeping the value of A at 0.1 mole, the rate constant will be: Op 1. 9k ito ns 2. 3k 3. k/3 4. k 	Chosen Option :
Q. Sodium extract is heated with concentrated HNO ₃ before testing for halogens because:	Chosen Option :
Optio 1 Agreacts faster with halides in acidic medium. 2 Silver halides are totally insoluble in nitric acid. 3 Ag ₂ S and AgCN are soluble in acidic medium. S ²⁻ and CN ⁻ , if present, are decomposed by conc. HNO ₃ and hence do not interfere in the test.	
 Which one of the following substances used in dry cleaning is a better strategy to control environmental pollution? Op 1. Nitrogen dioxide ns 	Chosen Option :

2. Sulphur dioxide 3. Tetrachloroethylene 4 Carbon dioxide Q. Consider the reaction sequence below : Chosen Option: OCH₃ Succinic anhydride X is: Op tio H₃CO OCH₃ H₃CO ξ OH OCH₃ OH ξ ΟΗ Q. Observation of "Rhumann's purple" is a Chosen Option: confirmatory test for the presence of:

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op 1. Reducing sugar

- 2. Starch
- 3. Protein
- 4. Cupric ion
- Aqueous solution of which salt will **not** contain ions with the electronic configuration $1s^22s^22p^63s^23p^6$?

Chosen Option :

op 1. NaCl

ns

- 2. CaI₂
- 3. NaF
- 4. KBr
- Q. The volume of 0.1N dibasic acid sufficient to neutralize 1 g of a base that furnishes 0.04 mole of OH⁻ in aqueous solution is:

Chosen Option :

Op 1. 400 mL

- 2. 600 mL
- 3. 200 mL
- 4. 800 mL
- Q. Identify the reaction which does not liberate hydrogen:

Chosen Option :

- Op Allowing a solution of sodium in liquid ammonia to stand.
 - 2. Reaction of zinc with aqueous alkali.
 - Reaction of lithium hydride with B_2H_6 .
 - Electrolysis of acidified water using Pt electrodes.

Section: Mathematics

Q. Let C be a curve given by Chosen Option: $y(x) = 1 + \sqrt{4x - 3}, x > \frac{3}{4}$. If P is a point on C, such that the tangent at P has slope $\frac{2}{3}$, then a point through which the normal at P passes, is:

Option:

Option:

```
2. (1, 7)
```

$$3.(4, -3)$$

Let $a, b \in \mathbb{R}$, $(a \neq 0)$. If the function f defined

Chosen Option :

$$f(x) = \begin{cases} \frac{2x^2}{a} & , & 0 \le x < 1\\ a & , & 1 \le x < \sqrt{2}\\ \frac{2b^2 - 4b}{x^3}, & \sqrt{2} \le x < \infty \end{cases}$$

is continuous in the interval $[0, \infty)$, then an ordered pair (a, b) is :

$$\int_{\text{tio }}^{\text{Op }} 1. \left(\sqrt{2}, 1 - \sqrt{3} \right)$$

$$_{2}\left(-\sqrt{2},1-\sqrt{3}\right)$$

3.
$$(\sqrt{2}, -1 + \sqrt{3})$$

4
$$\left(-\sqrt{2}, 1+\sqrt{3}\right)$$

^{Q.} Let a_1 , a_2 , a_3 ,, a_n , be in A.P. If $a_3 + a_7 + a_{11} + a_{15} = 72$, then the sum of its first 17 terms is equal to :

Chosen Option :

Op 1. 153

ns

- 2. 306
- 612
- 4. 204

Q. If A>0, B>0 and A + B = $\frac{\pi}{6}$, then the

Chosen Option :

minimum value of tanA + tanB is:

$$_{\text{tio}}^{\text{Op 1.}} 2 - \sqrt{3}$$

2

$$2.\frac{2}{\sqrt{3}}$$

3.
$$\sqrt{3} - \sqrt{2}$$

$$4.4 - 2\sqrt{3}$$

Q. 5	The	contrapositive	of	the	following
	state	ment,			

Chosen Option:

"If the side of a square doubles, then its area increases four times", is:

- Op If the area of a square does not ns 1. increase four times, then its side is not
- doubled.
 - 2. If the area of a square increases four times, then its side is not doubled.
 - 3. If the area of a square increases four times, then its side is doubled.

If the side of a square is not doubled,

4 then its area does not increase four times.

Q. Let A be a
$$3\times3$$
 matrix such that $A^2-5A+7I=O$.

Chosen Option:

Statement - I:
$$A^{-1} = \frac{1}{7} (5I - A).$$

Statement - II: The polynomial

 $A^3 - 2A^2 - 3A + I$ can be reduced to 5(A-4I).

Then:

Op Statement-I is false, but Statement-II ns is true.

- 2. Both the statements are false.
- Both the statements are true.
- Statement-I is true, but Statement-II
- Q. Equation of the tangent to the circle, at the point (1, -1), whose centre is the point of intersection of the straight lines x - y = 1and 2x + y = 3 is:

Chosen Option: --

Op 1.
$$3x - y - 4 = 0$$

$$2. x + 4y + 3 = 0$$

3.
$$x - 3y - 4 = 0$$

4.
$$4x + y - 3 = 0$$

The sum
$$\sum_{r=1}^{10} (r^2 + 1) \times (r!)$$
 is equal to:

Chosen Option: --

```
Op 1. 10 \times (11!)
ns
2. 101 \times (10!)
3. (11)!
4. 11 \times (11!)
```

Q. Let ABC be a triangle whose circumcentre is at P. If the position vectors of A, B, C

Chosen Option :

and P are
$$\overrightarrow{a}$$
, \overrightarrow{b} , \overrightarrow{c} and $\frac{\overrightarrow{a} + \overrightarrow{b} + \overrightarrow{c}}{4}$

respectively, then the position vector of the orthocentre of this triangle, is:

$$\begin{array}{c}
\operatorname{Op}_{\text{tio 1. } \overrightarrow{0}} \\
\operatorname{2.--}\left(\frac{\overrightarrow{a} + \overrightarrow{b} + \overrightarrow{c}}{2}\right) \\
\operatorname{3. } \overrightarrow{a} + \overrightarrow{b} + \overrightarrow{c} \\
\operatorname{4. } \left(\overrightarrow{a} + \overrightarrow{b} + \overrightarrow{c}\right)
\end{array}$$

Let $f(x) = \sin^4 x + \cos^4 x$. Then f is an increasing function in the interval:

Chosen Option :

Op tio 1.
$$\frac{\pi}{4}, \frac{\pi}{2}$$
2.
$$\frac{5\pi}{8}, \frac{3\pi}{4}$$
3.
$$\frac{0}{4}, \frac{\pi}{4}$$

$$\left[\frac{\pi}{2}, \frac{5\pi}{8}\right]$$

Let z=1+ai be a complex number, a>0, such that z^3 is a real number. Then the sum $1+z+z^2+.....+z^{11}$ is equal to :

Chosen Option : --

 $_{
m tio}^{
m Op}$ 1. $-1250 \ \sqrt{3} \ i$

^{2.} 1250 $\sqrt{3} i$

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3. -1365 \sqrt{3} i
```

4.1365 $\sqrt{3}i$

Let $P = \{\theta : \sin\theta - \cos\theta = \sqrt{2}\cos\theta\}$ and

Chosen Option :

 $Q = \{\theta : \sin\theta + \cos\theta = \sqrt{2} \sin\theta\}$ be two sets. Then:

 $\underset{\text{tio}}{\text{Op}}$ 1. $Q \not\subset P$

2. P ⊄ Q

3. $P \subset Q$ and $Q - P \neq \phi$

4. P = Q

Q. The mean of 5 observations is 5 and their variance is 124. If three of the observations are 1, 2 and 6; then the mean deviation from the mean of the data is:

Chosen Option : -

Op 1. 2.5 tio

2. 2.8

3. 2.6

4. 2.4

The number of distinct real values of λ for

Chosen Option:

which the lines $\frac{x-1}{1} = \frac{y-2}{2} = \frac{z+3}{12}$

and $\frac{x-3}{1} = \frac{y-2}{\lambda^2} = \frac{z-1}{2}$ are

coplanar is:

Op 1. 3

2. 2

3. 1

4. 4

Q. The angle of elevation of the top of a vertical tower from a point A, due east of it is 45°. The angle of elevation of the top of the same tower from a point B, due south of A is 30°. If the distance between A and

B is $54\sqrt{2}$ m, then the height of the tower (in metres), is:

Chosen Option :

```
Op 1. 54 tio ns

2. 108

3. 54\sqrt{3}

4. 36\sqrt{3}
```

```
4. 36\sqrt{3}

Q.1

x \to 0

Chosen Option:

x \to 0

x \to
```

The solution of the differential equation $\frac{dy}{dx} + \frac{y}{2} \sec x = \frac{\tan x}{2y}, \text{ where } 0 \le x < \frac{\pi}{2},$

and y(0) = 1, is given by :

$$\int_{-\ln x}^{\ln x} y^2 = 1 - \frac{x}{\sec x + \tan x}$$

$$2. y^2 = 1 + \frac{x}{\sec x + \tan x}$$

$$3. y = 1 + \frac{x}{\sec x + \tan x}$$

$$4. y = 1 - \frac{x}{\sec x + \tan x}$$

^{Q.} P and Q are two distinct points on the parabola, $y^2=4x$, with parameters t and t_1 respectively. If the normal at P passes

through Q, then the minimum value of t_1^2

is:

Op 1. 4

ns

2. 6

3. 8

4. 2

Chosen Option : --

Chosen Option: --

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Q. A hyperbola whose transverse axis is along

Chosen Option:

the major axis of the conic, $\frac{x^2}{2} + \frac{y^2}{4} = 4$

and has vertices at the foci of this conic. If

the eccentricity of the hyperbola is $\frac{3}{2}$, then which of the following points does NOT

 $\frac{\mathsf{Op}}{\mathsf{tio}}$ 1. $(\sqrt{5}, 2\sqrt{2})$

lie on it?

- $2.(5, 2\sqrt{3})$
- 3.(0,2)
- 4. $(\sqrt{10}, 2\sqrt{3})$

For $x \in \mathbf{R}$, $x \neq 0$, if y(x) is a differentiable function such that

Chosen Option: --

$$x \int_{1}^{x} y(t) dt = (x + 1) \int_{1}^{x} t y(t) dt, \text{ then } y(x)$$

equals:

(where C is a constant.)

Op tio 1. $Cx^3 e^{\frac{1}{x}}$

- $2. \frac{C}{x} e^{-\frac{1}{x}}$
- 3. $\frac{C}{x^2} e^{-\frac{1}{x}}$ 4. $\frac{C}{x^3} e^{-\frac{1}{x}}$

O. ABC is a triangle in a plane with vertices A(2, 3, 5), B(-1, 3, 2) and $C(\lambda, 5, \mu)$. If the median through A is equally inclined to the coordinate axes, then the value of $(\lambda^3 + \mu^3 + 5)$ is:

Chosen Option: --

Op 1. 676 ns

2.1130

- з. 1348
- 4.1077
- A ray of light is incident along a line which meets another line, 7x y + 1 = 0, at the point (0, 1). The ray is then reflected from this point along the line, y + 2x = 1. Then the equation of the line of incidence of the ray of light is:

Chosen Option: --

 $\int_{\text{tio}}^{\text{Op}} 1.41x + 38y - 38 = 0$

ns

- 2.41x 38y + 38 = 0
- 3.41x + 25y 25 = 0
- 4.41x 25y + 25 = 0
- Q. A straight line through origin O meets the lines 3y = 10 4x and 8x + 6y + 5 = 0 at points A and B respectively. Then O divides the segment AB in the ratio:

Chosen Option :

Op 1. 3:4

ns

- 2.1:2
- 3. 2:3
- 4.4:1
- Q. The value of the integral

Chosen Option :

$$\int_{4}^{10} \frac{\left[x^2\right] dx}{\left[x^2 - 28x + 196\right] + \left[x^2\right]}, \text{ where } [x]$$

denotes the greatest integer less than or equal to x, is:

Op 1. 3

- 2. 7
- 3. 6
- 4. $\frac{1}{3}$
- If $\frac{n+2}{n-2}C_6 = 11$, then n satisfies the chosen Option:—

 equation:

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```
\int_{\text{tio}}^{\text{Op}} 1 \cdot n^2 + n - 110 = 0
```

$$2. n^2 + 5n - 84 = 0$$

3.
$$n^2 + 3n - 108 = 0$$

4.
$$n^2 + 2n - 80 = 0$$

Q. If the coefficients of x^{-2} and x^{-4} in the

Chosen Option :

expansion of
$$\left(x^{\frac{1}{3}} + \frac{1}{2x^{\frac{1}{3}}}\right)^{18}$$
, $(x > 0)$, are

m and n respectively, then $\frac{m}{n}$ is equal to :

$$\begin{array}{c}
\text{Op} \\
\text{tio} \\
\text{ns}
\end{array} 1. \frac{5}{4}$$

- $\frac{4}{5}$
- 3. 27
- 4.182

If $A = \begin{bmatrix} -4 & -1 \\ 3 & 1 \end{bmatrix}$, then the determinant of

Chosen Option : --

the matrix $(A^{2016} - 2A^{2015} - A^{2014})$ is:

Op 1. 2014

tio ns

- 2. 2016
- 3. -175
- 4. 25

 Q_{28} If x is a solution of the equation,

Chosen Option:

$$\sqrt{2x+1} - \sqrt{2x-1} = 1, \left(x \ge \frac{1}{2}\right), \text{ then}$$

$$\sqrt{4x^2 - 1}$$
 is equal to :

Op 1. 2

- 2. $\frac{3}{4}$
- 3. $2\sqrt{2}$
- 4. $\frac{1}{2}$

An experiment succeeds twice as often as it fails. The probability of at least 5 successes in the six trials of this experiment is:

Chosen Option :

$$\frac{256}{729}$$

з.
$$\frac{240}{729}$$

$$4.\frac{496}{729}$$

The integral
$$\int_{30}^{0} \frac{dx}{(1+\sqrt{x})\sqrt{x-x^2}}$$
 is equal

Chosen Option:

to

(where C is a constant of integration.)

$$\int_{\text{tio ns } 1}^{\text{Op}} -2 \sqrt{\frac{1+\sqrt{x}}{1-\sqrt{x}}} + C$$

$$^{2} - 2\sqrt{\frac{1-\sqrt{x}}{1+\sqrt{x}}} + C$$

$$3. - \sqrt{\frac{1 - \sqrt{x}}{1 + \sqrt{x}}} + C$$

$$4.2\sqrt{\frac{1+\sqrt{x}}{1-\sqrt{x}}}+C$$